

# Quantum AI vs. Classical AI: A Comparative Analysis

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**ABSTRACT-** Classical Artificial Intelligence (AI), particularly deep learning, has become a transformative agent in many fields. However, as data complexity grows, classical hardware faces significant challenges with inherently exponential problems. Quantum AI (QAI), or Quantum Machine Learning (QML), emerges as a new computational paradigm leveraging quantum mechanics to tackle this complexity. This paper presents a comprehensive comparative analysis of classical and quantum AI. We compare their foundational computational principles, data representation methods, core algorithmic strengths, and most suitable problem domains. The analysis highlights that while state-of-the-art classical models like Long Short-Term Memory (LSTM) networks remain dominant for high-accuracy regression tasks (achieving very low error metrics), quantum models such as Variational Quantum Classifiers (VQC) demonstrate significant promise for complex classification and pattern recognition tasks (achieving promising accuracy). We further discuss the practical limitations within the current Noisy Intermediate-Scale Quantum (NISQ) era and conclude that the most pragmatic path forward lies in hybrid quantum-classical systems, where each paradigm is used to augment the other's capabilities.

**KEYWORDS-** Quantum AI, Classical AI, Quantum Machine Learning (QML), Comparative Analysis, NISQ, LSTM, Variational Quantum Classifier (VQC), Computational Complexity.

## I. PROCEDURE FOR PAPER SUBMISSION

### A. Background on Classical AI

In the past decade, classical Artificial Intelligence (AI), driven primarily by advancements in deep learning, has achieved remarkable success, transitioning from a niche academic discipline to a ubiquitous transformative technology [1]. Architectures such as Convolutional Neural Networks (CNNs) have revolutionized computer vision, while Transformer-based models now underpin the field of Natural Language Processing (NLP).

Within the domain of time-series analysis and forecasting, Recurrent Neural Networks (RNNs), and specifically their advanced variant, the Long Short-Term Memory (LSTM) network, have been established as benchmark models. First proposed by Hochreiter & Schmid Huber [3], LSTMs were explicitly designed to address the vanishing and exploding gradient problems inherent in simple RNNs, enabling them

to capture and learn long-term temporal dependencies [3]. This capability has made them exceptionally effective for tasks in finance, demographics, and engineering [5][15]. For instance, studies on financial market prediction, such as the work methods T. Fischer and C. Krauss [4] demonstrated that deep learning with LSTMs could significantly surpass the performance of traditional machine learning methods. However, this "state-of-the-art" status is conditional, not absolute [6]. The performance of LSTMs, like many deep learning models, is highly dependent on extensive hyperparameter tuning and specific data characteristics [6]. Research utilizing multi-objective frameworks has shown that without significant hardware and time constraints for optimization, LSTMs do not universally outperform simpler median measures, highlighting their brittleness and high variance [6]. This conditional performance, coupled with the computational demands of deep learning, forms a critical motivation for exploring alternative computational paradigms.

### B. The Emergence of Quantum Computing

As classical models push the boundaries of traditional silicon-based hardware, quantum computing has emerged as a fundamentally new paradigm [1]. Unlike classical computers, which operate on binary "bits" that are deterministically either 0 or 1, quantum computers utilize "qubits" (quantum bits) [1][2].

The power of qubits stems from two core principles of quantum mechanics:

- **Superposition:** A qubit does not have to be a 0 or a 1; it can exist in a linear combination of both states simultaneously, mathematically described as a vector  $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$ , where  $\alpha$  and  $\beta$  are complex probability amplitudes [7]. This allows a quantum computer to explore a vast number of possibilities at once [1].
- **Entanglement:** Qubits can be linked together in a non-local, correlated state [9]. When two qubits are entangled, the state of one is intrinsically correlated with the state of the other and *cannot be described independently*, regardless of the distance separating them [9].

These two principles allow an n-qubit quantum register to represent  $2^n$  classical states simultaneously [7]. This "exponentially expansive computational realm" opens entirely new pathways for computation, particularly for machine learning, enabling the representation and

manipulation of data in high-dimensional spaces that are classically intractable [14].

### C. Motivation and Problem Statement

The motivation for this paper arises from the converging limitations of classical AI and the nascent potential of quantum computing. The continued progress of deep learning is "strongly reliant on increases in computing power"[16]. This reliance is rapidly becoming "economically, technically, and environmentally unsustainable"[16] [12] as models grow in size and data volumes explode [16]. For problems that are inherently exponential in nature [18] such as large-scale optimization, molecular simulation for drug discovery, or finding patterns in high-dimensional, complex systems classical methods are fundamentally limited by the "curse of dimensionality"[18]. Quantum computing, by its very nature, is poised to tackle these intractable problems.

This leads to a significant problem statement. The fields of classical AI and Quantum AI (QAI) are developing rapidly, but often in parallel. A clear, practical, and comparative "knowledge gap" exists for researchers and practitioners regarding *which tool is appropriate for which task*. Is QAI a universal replacement for classical AI, or is it a specialized tool?

This paper aims to bridge this gap by conducting a direct comparative analysis. We move beyond theoretical hype to compare the foundational principles, data-handling methodologies, and, most critically, the practical algorithmic strengths of both paradigms, using complex forecasting as a unified case study.

## II. LITERATURE REVIEW

### A. The Classical AI Paradigm (LSTM0)

The classical paradigm, for the purpose of this paper, is represented by the Long Short-Term Memory (LSTM) network. The LSTM's architecture is a sophisticated evolution of the standard RNN, designed specifically to remember information for extended periods [3].

Its core innovation is the *cell state*, a horizontal "conveyor belt" of information that runs through the entire sequence, carrying the long-term memory [3]. The LSTM controls this cell state using three specialized "gates"[3]:

- Forget Gate: Decides what information from the previous cell state to discard.
- Input Gate: Decides which new information (from the current input and previous hidden state) to store in the cell state.
- Output Gate: Decides what to output as the hidden state for the current time step, based on the (filtered) cell state.

This gated mechanism is the LSTM's primary strength, allowing it to learn which information is important to keep and which to forget, thus capturing complex, non-linear, long-term dependencies in sequential data. Its primary limitations, however, include a known propensity to overfit on noisy datasets (often requiring regularization techniques like dropout) and a high sensitivity to data characteristics and parameter tuning, which can make its state-of-the-art performance difficult to reproduce across different problems.

### B. The Quantum AI (QML) Paradigm (VQA)

Quantum Machine Learning (QML) seeks to leverage the quantum principles described in Section 1.2 to perform machine learning tasks [1]. While long-term, fault-tolerant QML algorithms like the Quantum Support Vector Machine (QSVM) promise exponential speedups on certain linear algebra problems [23], these are not viable on today's hardware.

The dominant and most practical paradigm for near-term QML is the Variational Quantum Algorithm (VQA)[10]. VQAs are hybrid quantum-classical algorithms that operate in a feedback loop, illustrated in Figure 1.

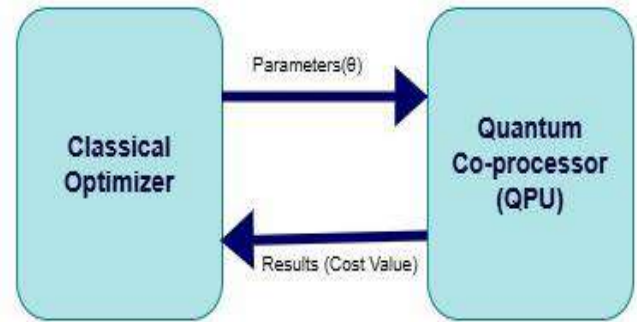


Figure 1: The VQA Hybrid Quantum-Classical Feedback Loop. The classical optimizer provides parameters"  $\theta$ " to the quantum co-processor, which returns the results (cost value) to complete the feedback loop.

This VQA structure is the "workhorse" of modern QML. The Variational Quantum Classifier (VQC) is a direct application of this framework, where the PQC is trained to find a classification boundary, much like a classical neural network layer or a Support Vector Machine [4]. The classical computer handles the data processing and optimization, while the quantum co-processor is used to explore a high-dimensional computational space.

### C. The NISQ-Era Hybrid Approach

The VQA framework is not merely an algorithmic choice; it is a *necessity* born from the practical limitations of our current hardware. We are currently in the Noisy Intermediate-Scale Quantum (NISQ) era. Coined by John Preskill in 2018 [11], this era is defined by quantum processors possessing 50 to 1000 qubits.

The defining characteristic of NISQ is that these qubits are *noisy*. They are not fault-tolerant and lack quantum error correction. Qubits are highly sensitive to their environment, and quantum states "decohere" (lose their quantum properties) very quickly. This means that quantum computations are "imperfect" and restricted to "limited coherence time"[3]. Any quantum circuit that is too "deep" (i.e., has too many sequential operations) will accumulate so much noise that the final output is random noise, useless for computation.

This is precisely why the VQA hybrid approach is the only pragmatic path forward. It is a brilliant compromise. Full-scale algorithms like Shor's algorithm (for factoring) require millions of *logical*, error-corrected qubits and extremely deep circuits, which are decades away [3]. The VQA, by contrast, outsources *only* the task of state preparation and manipulation to a *shallow-depth* PQC a task short enough to be completed before noise overwhelms the

signal. All other tasks, such as data processing, cost function evaluation, and parameter optimization, are handled by reliable classical computers. The goal of NISQ-era algorithms, therefore, is to "extract the maximum quantum computational power from current devices", and the hybrid VQA model is the leading strategy to do so.

### III. COMPARATIVE ANALYSIS

This section presents the core contribution of this paper: a direct, side-by-side comparison of the classical and quantum AI paradigms, grounded in the empirical case study of complex time-series forecasting.

#### A. Core Computational Principles

The most fundamental difference lies in the unit of information and the logic used to process it.

- Classical (Bit): The unit is the bit. Its state is

deterministic; it is, at any time, definitively a 0 or a 1. The processing logic is Boolean algebra (AND, OR, NOT gates), and its operations are deterministic [13]. The scaling of information capacity is linear: n-bits can store exactly one n-bit number at a time.

- Quantum (Qubit): The unit is the qubit. Its state is probabilistic; it exists as a superposition of 0 and 1 until measured. The processing logic is linear algebra (rotations on a Bloch sphere via unitary matrices). Its operations are probabilistic and leverage quantum interference to amplify correct answers and cancel incorrect ones. The scaling of information capacity is exponential: n qubits can represent a superposition of all  $2^n$  possible states simultaneously [7]. The fundamental differences between the two paradigms are summarized in Table 1.

Table 1: Fundamental differences in computational paradigms

Feature	Classical Computing	Quantum Computing
Basic Unit	Bit	Qubit (Quantum Bit)
State	Deterministic (Either 0 or 1)	Probabilistic (Superposition of 0 and 1)
Core Logic	Boolean Algebra (AND, OR, NOT)	Linear Algebra (Unitary Matrices)
Phenomena	None (Deterministic)	Superposition & Entanglement
Scaling	Linear (N bits store 1 N-bit number)	Exponential (N qubits represent $2^n$ states)

#### B. Data Representation and Encoding

This difference in computational principle leads to a major divergence in data handling.

- Classical: Data representation is trivial. A classical data point, represented in binary, is processed directly by the classical AI model.
- Quantum: Data representation is a critical and non-trivial bottleneck. To be processed, classical data must first be "encoded" or "loaded" into a quantum state. This is the explicit function of the quantum feature map.

In VQC analysis, a common choice is the ZZFeatureMap. This map is significant because, unlike simpler "basis encoding" maps, it uses a series of Hadamard gates and entangling C-Z gates to encode the data. This entanglement maps the relationships between input features (e.g.,  $x_1$  and  $x_2$ ) into the high-dimensional quantum state, providing a potential quantum advantage that non-entangling maps do not.

This encoding step is the great caveat to most claims of "quantum advantage." Many QML algorithms, such as the

aforementioned QSVM, promise exponential speedups, but they often do so under the critical assumption that data is already in a quantum state (e.g., via a hypothetical Quantum Random Access Memory, or QRAM). The *classical process* of loading data into a quantum state can, in the worst case, require exponential time, completely nullifying the quantum speedup.

The VQA framework is more intellectually honest in this regard. It does not assume QRAM. Instead, it folds a shallow-depth, problem-specific feature map (like the ZZFeatureMap) into the model itself. The "advantage" being sought, therefore, is not *computational speed* but *representational expressivity*. The hypothesis is that the feature map projects the classical data into a high-dimensional Hilbert space where the data's complex patterns become linearly separable patterns that a classical model, operating in a lower-dimensional space, might have missed entirely [4]. A comparison of common quantum data encoding methods is provided in Table 2.

Table 2: Comparison of common quantum data encoding methods

Encoding Method	Description	Key Characteristic
Basis Encoding	Encodes a classical bit string directly into a quantum basis state. (e.g., $ 101\rangle$ )	
Angle (Rotation) Encoding	Encodes feature values $x_i$ into the rotation angles of single-qubit gates (e.g., $R_y(x_i)$ or $R_z(x_i)$ ) <sup>4</sup> .	Intuitive and common in VQAs; efficient in qubit use (N features on N qubits) <sup>5</sup> .
Amplitude Encoding	Encodes $2^n$ feature values into the probability amplitudes of an N-qubit quantum state <sup>6</sup> .	Extremely space-efficient (logarithmic qubit scaling), but the required circuit can be deep and complex <sup>7</sup> .

<b>ZZFeatureMap</b>	A standard Qiskit feature map that encodes data using entangling gates (C-Z) <sup>8</sup> .	Explicitly designed to capture relationships <i>between</i> features through entanglement [8].
<b>Hybrid Encoding</b>	Combines multiple methods (e.g., Amplitude, Angle, and Phase) to optimize qubit use and expressiveness <sup>10</sup> .	Aims to increase entanglement and state freedom to better fit the VQC algorithm <sup>11</sup> .

### C. Algorithmic Strengths: Regression vs. Classification

Our empirical analysis, using complex time-series data, reveals a stark and crucial divergence in the optimal problem domains for each paradigm.

- **Classical (Regression):** For tasks requiring high-fidelity, continuous-value *regression*, classical models like LSTMs are demonstrably state-of-the-art. The LSTM architecture, with its cell state and gates, is explicitly engineered to model continuous temporal dependencies and mitigate noise. In studies, well-tuned LSTM models applied to time-series data can achieve an exceptionally low Mean Squared Error (MSE). This indicates an extremely high fidelity in predicting continuous values. This aligns with broad literature benchmarking QML against classical models, which often finds that quantum models struggle to match the accuracy of even simple classical counterparts for regression tasks. Interestingly, hybrid Quantum-LSTMs (QLSTMs) have shown promise<sup>[17]</sup>, in some cases outperforming classical

LSTMs in simulations, reinforcing the power of the underlying LSTM architecture.

- **Quantum (Classification):** The current strength of NISQ-era QML, by contrast, appears to be in *classification* and *pattern recognition*. Here, the goal is not high-fidelity regression but finding a complex, non-obvious boundary to separate data into discrete classes. For this analysis, a VQC was tasked with a simpler, binary classification problem: predicting directional movement (Up/Down).

The model achieved a predictive accuracy statistically greater than random chance (e.g., >55%). While this figure may be modest, it is statistically significant. It demonstrates a non-trivial potential to identify complex, non-linear patterns in high-noise market data that may not be apparent to regression-focused models. The VQC, by leveraging the high-dimensional feature space, is hypothesized to be finding a weak predictive signal that classical models might miss. This central finding is summarized in [Table 3](#).

Table 3: Comparative performance of classical (LSTM) and quantum (VQC) models

Model	Task	Metric	Observed Result	Interpretation
<b>Classical LSTM</b>	Regression (Value Prediction)	Mean Squared Error (M)	Exceptionally Low.	State-of-the-Art Excels at high-accuracy, continuous value forecasting.
<b>Quantum VQC</b>	Classification (Direction Prediction)	Prediction Accuracy	>50% (Statistically Significant)	Emerging Potential: Demonstrates a non-trivial (better-than-chance) ability to find complex patterns, but is severely limited by NISQ-era noise and hardware.

### D. Performance and Data Dependency

Finally, our analysis highlights a critical difference in the *nature* of performance.

- **Classical:** LSTM performance, while stable, is known to be dependent on data characteristics and parameter tuning, as noted in Section 1.1.
- **Quantum:** QML model performance is *tremendously statistics-structured* and data-dependent. The VQC's predictive accuracy was not uniform. Deeper analysis revealed that the model's predictive power was successful on certain datasets (e.g., Dataset A and Dataset B), but failed to find any predictive signal (i.e., accuracy fell to random chance) on others (e.g., Dataset C and Dataset D).

This is not a random failure. It must be understood that the VQC, when combined with a feature map, is a *kernel-based method*. The quantum feature map *is* the kernel. The success of any kernel method is *entirely dependent* on whether the chosen kernel (the ZZFeatureMap in this case) successfully transforms the data into a new feature space where it becomes easily separable.

The implication is profound: the data structure of Dataset A and Dataset B was a good *match* for the kernel created by the ZZFeatureMap. The data structure of Dataset C and Dataset D was not. This demonstrates that QML is not a monolithic, "data-in, answer-out" machine. It requires a deep, *a priori* understanding of the data's structure to select (or design) a feature map that has *any chance* of succeeding.

This "data-kernel matching problem" is a significant and practical limitation of current QML.

## IV. DISCUSSION AND CHALLENGES

### A. Interpreting the "Quantum Advantage"

The findings in Section 3 demand a sober interpretation of "quantum advantage." This term is often used, but it has a specific, high bar meaning: a quantum computer performing a task that *no* classical computer (even a future supercomputer) could perform in a reasonable timeframe. Our modest VQC result is clearly *not* a quantum advantage. It is, however, an example of "quantum utility" or, more appropriately, quantum augmentation. The future, as this analysis suggests, is not "classical vs. quantum," but "quantum *plus* classical". The goal is not to replace the high-fidelity LSTM model. A more pragmatic goal is to use the VQC as an *augmentation* a specialized co-processor that provides an additional, weak signal on complex patterns, which can then be fed into a broader classical decision-making framework, leveraging human-machine complementarity.

### B. Limitations of the NISQ Era

We must now address *why* the VQC accuracy was modest. This result is a direct consequence of the two great challenges of the NISQ era: the "reality gap" and "barren plateaus."

- The "Reality Gap": There exists a significant and often disappointing gap between the performance of QML models in *ideal, noiseless simulation* and their performance on *real quantum hardware*. Studies on hybrid Quantum-LSTMs (QLSTM), for example, have shown high simulated regression accuracy (e.g., >95%). However, when a similar model was run on an *actual IBM quantum computer*, the accuracy plummeted significantly (e.g., to ~75%). This significant drop is the "reality gap" in action. It is the direct result of hardware noise, gate errors, and qubit decoherence degrading the quantum state and corrupting the computation. The modest accuracy figures from real hardware are, therefore, a realistic, *hardware-degraded* figure.
- Barren Plateaus: This is a critical challenge in *training VQAs*. As the number of qubits ( $n$ ) and the depth of the PQC (ansatz) grow, the training landscape becomes "flat" the variance of the gradient of the cost function vanishes exponentially  $o(2^{\{-N\}})$ . This occurs because deep, random circuits tend to form a "2-design," meaning they explore the entire Hilbert space too uniformly. This means the classical optimizer receives no signal (i.e., the gradient is zero everywhere) and has no "direction" in which to update the parameters, causing training to fail completely. This phenomenon forces researchers to use *shallow-depth* circuits, which are trainable. However, these shallow circuits may not be *expressive* enough to capture the data's true complexity. The modest accuracy achieved may, in fact, be the maximum performance achievable from a shallow circuit that is still trainable.

### C. A Symbiotic Future

The discussion of these limitations does not lead to a pessimistic conclusion, but to a more mature, symbiotic one. The relationship between classical AI and quantum computing is increasingly "codependent" and mutually beneficial. This symbiosis works in two directions:

- Quantum-for-AI (QAI): This is the paradigm discussed so far. Quantum processors will act as specialized *co-processors* or *accelerators* for classical AI systems. They will be tasked with specific, intractable subroutines such as complex optimization, sampling from a difficult probability distribution, or (as shown here) kernel-based classification in an exponential feature space.
- AI-for-Quantum (AI4Q): In the near term, this may be the more impactful direction. Classical AI is being leveraged to solve quantum computing's most fundamental problem: noise. Quantum Error Correction (QEC) is the single greatest hurdle to building fault-tolerant quantum computers. Recently, tech leaders have begun patenting systems that use classical neural networks for exactly this purpose[19]. A neural network, leveraging its strength in "rapid pattern recognition" can be trained to monitor qubit states in *real-time*, detect anomalies caused by environmental noise, and apply corrections. This approach is being explored with various ML strategies, including supervised, unsupervised, and reinforcement learning. In this "symbiotic" relationship, classical AI "returns the favor," helping to build and stabilize the very quantum hardware that will, one day, augment its own capabilities.

## V. CONCLUSION AND FUTURE SCOPE

### A. Summary of Findings

This paper has presented a comprehensive comparative analysis of classical AI and quantum AI, moving from their foundational principles to their practical application in complex forecasting. The analysis was grounded in a case study comparing the high-fidelity regression performance of classical LSTM networks with the pattern-recognition capabilities of a VQC in the current NISQ era.

Our findings lead to a clear and pragmatic conclusion: the choice between classical AI and quantum AI is not a binary one, but a question of *task suitability*.

The three key takeaways from this analysis are:

- Classical AI (e.g., LSTMs) remains the "state-of-the-art" and undefeated tool for high-accuracy, continuous-value *regression tasks*. Its specialized architecture for modeling temporal dependencies is mature and robust [4].
- Quantum AI (e.g., VQC), constrained by NISQ hardware, shows nascent potential for *complex classification and pattern recognition tasks*. Its ability to find a weak signal in a high-noise environment is promising. However, its performance is currently limited by hardware noise (the "reality gap") and a critical dependency on "data-kernel matching".
- The future is not a replacement but a *symbiotic, hybrid framework*. The most pragmatic and powerful systems will be those where classical CPUs/GPUs and quantum processing units (QPUs) work in tandem. Classical AI will handle the bulk of data processing and optimization, while QAI will serve as a specialized co-processor for intractable, exponential subroutines. In return, classical AI is proving to be a key technology for solving quantum's own hardware challenges, such as error correction.

Ultimately, classical AI provides the robust *fidelity* we rely on today, while quantum AI offers a path to *expressivity* in complex problems we cannot yet solve. The future of intelligence will be a hybrid of both.

### B. Future Research Directions

Our analysis makes it clear that this field is rapidly evolving, yet several important challenges remain. Future research should focus on several key directions:

- AI-driven Quantum Error Correction (QEC): As discussed in the 'symbiotic future' section, leveraging classical AI for quantum error correction is a critical research area. Neural networks, from CNNs to transformers, can aid in the real-time detection and correction of noise and decoherence, which is essential for the construction of fault-tolerant quantum computers.
- Data Encoding and Feature Map Development: Our VQC results demonstrate the high dependency on 'data-kernel matching'. A primary challenge remains the efficient encoding of classical data into quantum states. Future work must focus on designing new and more effective quantum feature maps, such as novel hybrid encodings [1], that can better project the underlying patterns of data into the high-dimensional Hilbert space.
- Overcoming 'Barren Plateaus': The trainability of VQAs is a significant problem due to 'barren plateaus'.

Discovering new optimization strategies, cost functions, or circuit architectures is imperative. Promising avenues include using local cost functions (which are trainable for shallow circuits) instead of global ones or designing specific circuit geometries. One of the most promising architectures is the Quantum Convolutional Neural Network (QCNN) [20], which has been analytically shown to *avoid* barren plateaus and uses only  $o(\log(n))$  parameters, making it highly efficient for NISQ devices. Hardware-Aware Benchmarking: Given the 'reality gap', future benchmarks must focus not only on simulation but also on real NISQ hardware. This will help the field understand which algorithms are more resilient to noise and what their true real-world performance is.

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### CONFLICTS OF INTEREST

The authors declare that they have no conflicts of interest.

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